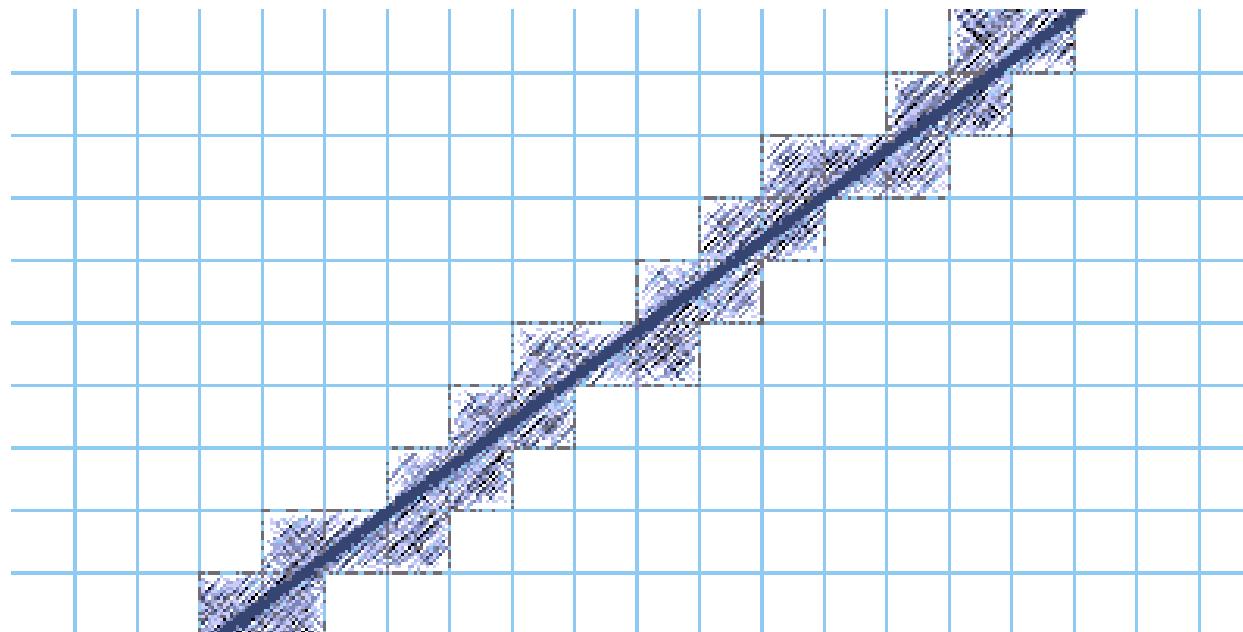


Rasterization

Turning ideal geometry into pixels

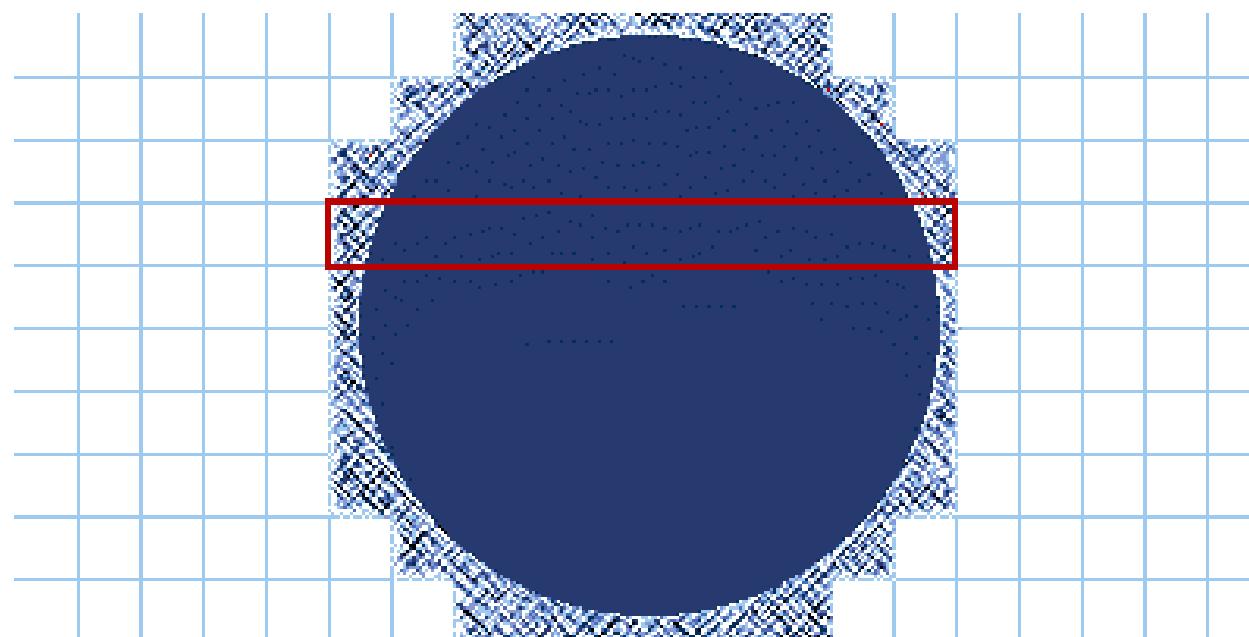
BACKGROUND



- Mathematically speaking, lines, curves, triangles etc. have infinite precision.
- In practise, screen consists of pixels.
- Conversion of ideal primitives into pixels is called rasterization, or scan conversion.

SCAN CONVERTING A FILLED CIRCLE

- Find width of the circle, in pixels, for each scanline.
- Draw the span.

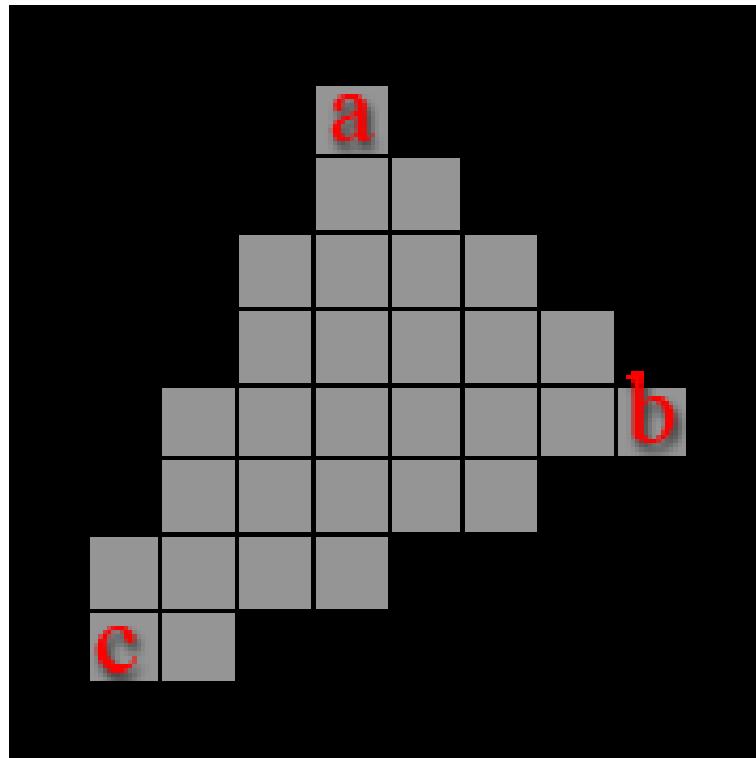


SCAN CONVERTING A LINE

- Find major axis.
 - $Y_{\text{step}} = y_{\Delta} / x_{\Delta}$
 - $X_{\text{step}} = x_{\Delta} / y_{\Delta}$
 - If $X_{\text{step}} > Y_{\text{step}}$, Y is the major, X otherwise.
- Loop through the major axis, plotting pixels.
 - For ($x = x_1, y=y_0; x < x_2; x++, y+=Y_{\text{step}}$) ...
- Special cases needed where x_{Δ} and/or y_{Δ} are zero.
- For more advanced line-drawing, look up Bresenham.

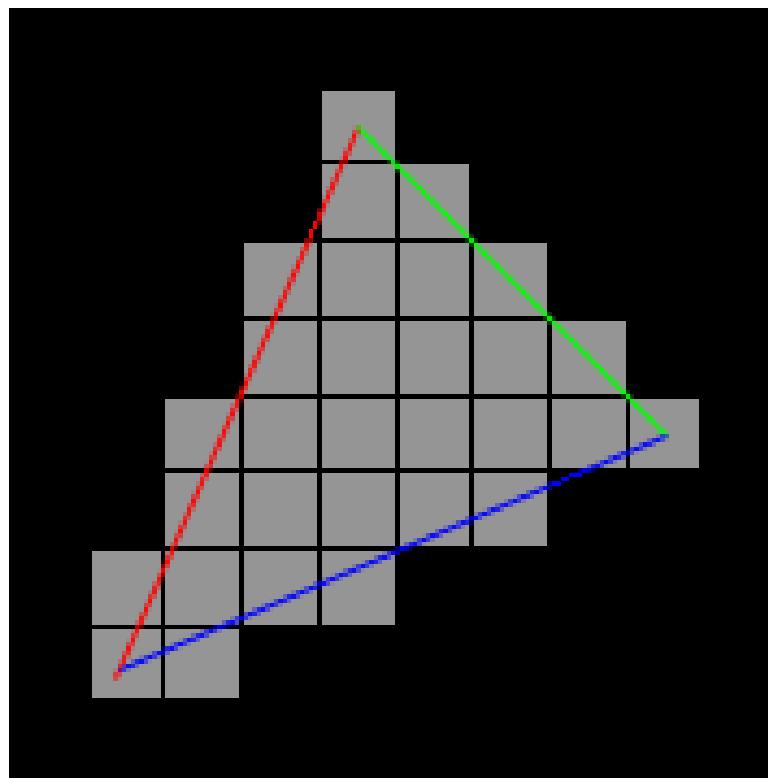
SCAN CONVERTING A TRIANGLE

- Step 1: find Y order of vertices



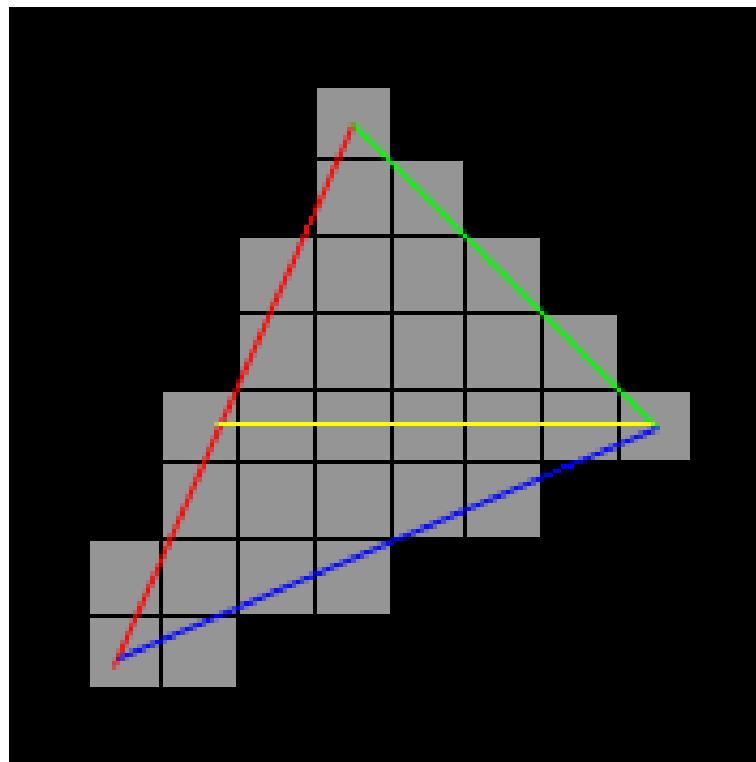
SCAN CONVERTING A TRIANGLE

- Step 2: Trace left and right edges ($a \rightarrow c$ and $a \rightarrow b$)



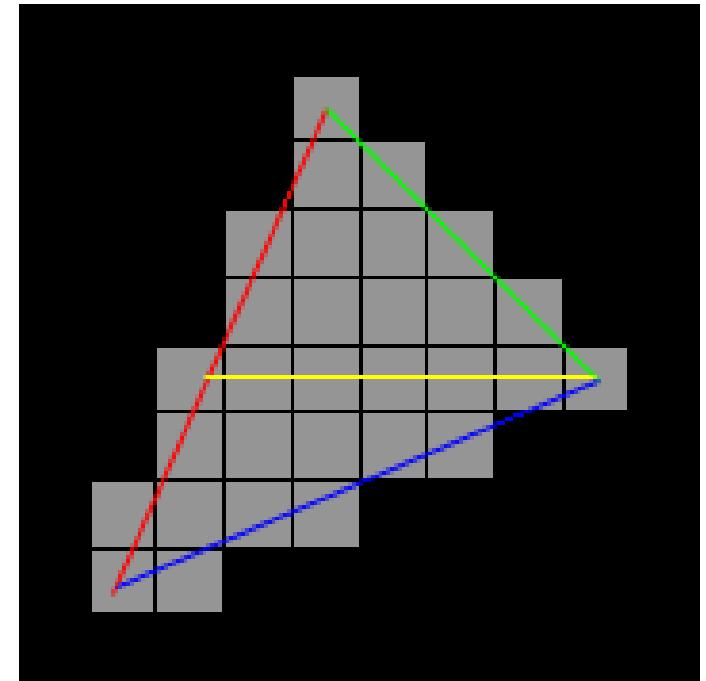
SCAN CONVERTING A TRIANGLE

- Step 3: When vertex B is reached, replace $a \rightarrow b$ slope with $b \rightarrow c$ slope
- Continue tracing.



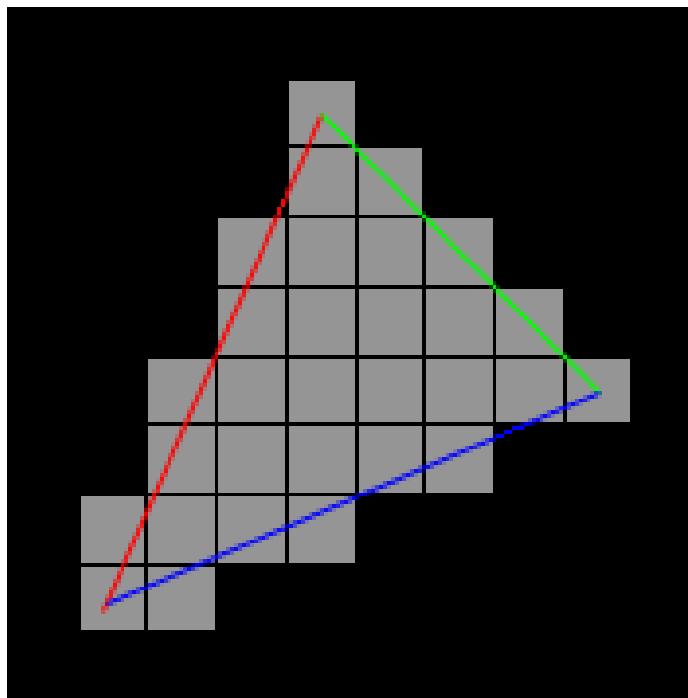
SCAN CONVERTING A TRIANGLE

- Special cases:
 - $A.y == C.y$
 - Zero-area triangle. Skip rendering.
 - $B.y == C.y$
 - Bottom-flat triangle; we're done when we reach $B.y$
 - $A.y == B.y$
 - Top-flat triangle; skip the top part



SCAN CONVERTING A TRIANGLE

- Alternate method:
 - Have two arrays for left/right edges.
 - Draw all triangle edges to these arrays.
 - In second pass, draw spans from left to right data.



SCAN CONVERTING A TRIANGLE

- Other possible interpolation values along with vertex coordinates:
 - Color (Gouraud shading)
 - Normal (Per-pixel lighting)
 - Texture (UV) coordinates

